

Safe Parallel Programming with Session Java

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Motivation

- Parallel programming is non-trivial and error prone (eg. deadlock)
- Session types theory guarantees communication safety between processes
- Parallel programming with a session-based programming language for **safety** (type safety, deadlock freedom) and **performance**

Contributions

- 1 Extended Session Java (SJ) with *multi-channel primitives* for parallel programming
- 2 Defined *multi-channel session calculus* with operational semantics and typing system
- 3 Showed the practical use of *multi-channel primitives* by implementing representative parallel algorithms in SJ
- 4 Evaluated performance of parallel algorithms implemented in SJ and compared against MPJ Express

Session types

- Typing system for π -calculus [Honda et al., ESOP'98]
- π -calculus models structured interactions between processes
- Communication should have a **dual**

Conventional types/sorts

- `int` `i = 9`
- `i` and `9` are both `int` datatype

Session types

- Program 1: `send(9)`
- Program 2: `int` `intValue = receive()`
- *Send int* and *Receive int* are duals



Session programming with SJ

Session Java (SJ) [Hu et al., ECOOP'08]

- An implementation of session types in Java
- Provides a socket programming interface

<i>Session initiation</i>	<code>accept()</code>	<code>request()</code>
<i>Communication</i>	<code>send()</code>	<code>receive()</code>
<i>Iteration</i>	<code>outwhile</code> statement	<code>inwhile</code> statement
- Preliminary work in [Bejleri et al., PLACES'09]
- But lacks efficient mechanism to synchronise multiple sessions



Session programming with SJ: Workflow

- 1 Declare session type (called **protocol**) in source code
- 2 Local session type conformance by SJ compiler
(ie. does program implement session as declared?)
- 3 Duality check between communicating programs at runtime
(ie. are **protocols** compatible?)

```
protocol helloWorldSvr {
  sbegin. // start session
  ![           // Outwhile
    !<String> // Send
  ]*
}
```

```
protocol helloWorldClnt {
  cbegin. // Join session
  ?[           // Inwhile
    ?(String) // Recv
  ]*
}
```



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(ie. are `protocols` compatible?)

```
protocol helloWorldSvr
{ sbegin.![!<String>]* }

SJSocket s = ss.accept();
s.outwhile(i++<3) {
  s.send("Hello World");
}
```

```
protocol helloWorldClnt
{ cbegin.?[?(String)]* }

SJSocket c = cs.request();
c.inwhile {
  String str = c.receive();
}
```



inwhile and outwhile

- Powerful construct to connect two sessions
- Allow one process to control iteration of another

$$P_1 \xrightarrow{s_{12}} P_2$$

s12: session between P1 and P2

```
P1  s12.outwhile(true){ /*... */ }
```

```
P2  s12.inwhile { /*... */ }
```


Iteration chaining

How to synchronise multiple independent sessions?

$$P_1 \xrightarrow{s_{12}} P_2 \xrightarrow{s_{23}} P_3$$

Iteration chaining

How to synchronise multiple independent sessions?

$$P_1 \xrightarrow{s_{12}} P_2 \xrightarrow{s_{23}} P_3$$

Incorrect, non type-safe implementation of P_2 :

```
s12.inwhile {
  s23.outwhile(true) {
    // ...
  }
}
```

Iteration chaining

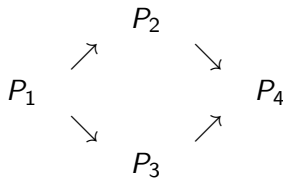
How to synchronise multiple independent sessions?

$$P_1 \xrightarrow{s_{12}} P_2 \xrightarrow{s_{23}} P_3$$

P_2 with *iteration chaining* syntax:

```
s23.outwhile(s12.inwhile) {
  // ...
  s12.send();
  s23.send();
}
```

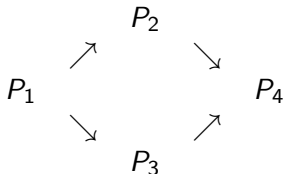
Multi-channel primitives



How to write P_1 (again, incorrect and non type-safe):

```
e = true;
s12.outwhile( e ) {
  s13.outwhile( e ) {
    // ...
  }
}
```

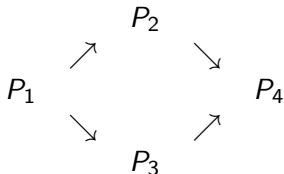
Multi-channel primitives



Multi-channel `outwhile`:

```
<s12, s13>.outwhile(true) {  
  // ...  
}
```

Multi-channel primitives

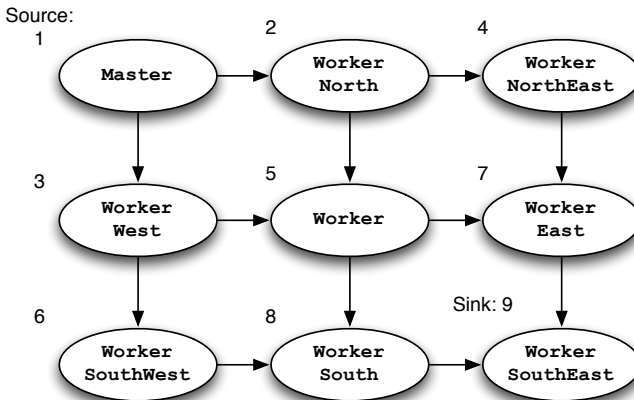


Similarly for P_4 , multi-channel `inwhile`:

```

<s24, s34>.inwhile {
  // ...
}
  
```

Multi-channel primitives example: Jacobi solution



Multi-channel primitives example: Jacobi solution

```

/** Master */
<right, down>.outwhile(e)
{
  // ...
}

```

```

/** North */
<right, down>.outwhile(
  left.inwhile) {
  // ...
}

```

```

/** NorthEast */
down.outwhile(
  left.inwhile) {
  // ...
}

```

```

/** West */
<down, right>.outwhile(
  up.inwhile) {
  // ...
}

```

```

/** Worker */
<right, down>.outwhile(
  <left, up>.inwhile) {
  // ...
}

```

```

/** East */
down.outwhile(
  <left, up>.inwhile) {
  // ...
}

```

```

/** SouthWest */
right.outwhile(
  up.inwhile) {
  // ...
}

```

```

/** South */
right.outwhile(
  <left, up>.inwhile) {
  // ...
}

```

```

/** SouthEast */
<left, up>.inwhile {
  // ...
}

```




Multi-channel primitives example: Jacobi solution

Worker process, chained multi-channel inwhile and outwhile

```
<right, down>.outwhile(<left, up>.inwhile) {  
  // ... calculation ...  
  
  up.send(topRow);  
  topRow = up.receive();  
  right.send(rightCol);  
  rightCol = right.receive();  
  
  bottomRow_rcvd = down.receive();  
  down.send(bottomRow);  
  leftCol_rcvd = left.receive();  
  left.send(leftCol);  
}
```

Multi-channel primitives in SJ: summary

- More topologies can be expressed
- More intuitive to program and reason about
- Synchronises multiple sessions

Multi-channel session types: intuition

- Formalisation of multi-channel primitives
 - Correctness
 - Deadlock freedom
- `outwhile` multicasts loop condition to all channels
- `inwhile` collects loop conditions from all channels

Multi-channel session types: reduction rules (1)

Outwhile (true)

$$E[\langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \}] \quad (E[e] \rightarrow {}^*E'[\text{true}]) \\ \rightarrow E[P; \langle k_1 \dots k_n \rangle.\text{outwhile}(e')\{ P \}] \mid k_1 \dagger [\text{true}] \mid \dots \mid k_n \dagger [\text{true}]$$

Outwhile (false)

$$E[\langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \}] \quad (E[e] \rightarrow {}^*E'[\text{false}]) \\ \rightarrow E[\mathbf{0}] \mid k_1 \dagger [\text{false}] \mid \dots \mid k_n \dagger [\text{false}]$$

- Multichannel outwhile forwards loop condition to all session channels

Multi-channel session types: reduction rules (2)

Inwhile (true)

$$E[\langle k_1 \dots k_n \rangle.\text{inwhile}\{ P \}] \mid k_1 \dagger [\text{true}] \mid \dots \mid k_n \dagger [\text{true}] \\ \rightarrow E[P; \langle k_1 \dots k_n \rangle.\text{inwhile}\{ P \}]$$

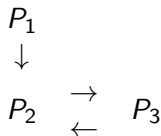
Inwhile (false)

$$E[\langle k_1 \dots k_n \rangle.\text{inwhile}\{ P \}] \mid k_1 \dagger [\text{false}] \mid \dots \mid k_n \dagger [\text{false}] \\ \rightarrow E[\mathbf{0}]$$

- Multichannel `inwhile` collects loop conditions from all session channels
- Proceeds if conditions match
- Mismatch of conditions: runtime error



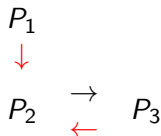
Well-formed topology: Example



- `s23.outwhile(<s12, s23>.inwhile)`
- Valid `inwhile` `outwhile` topology construction



Well-formed topology: Example



- `s23.outwhile(<s12, s23>.inwhile)`
- Valid `inwhile` `outwhile` topology construction
- Cycle in the flow of control messages: **deadlock**

Well-formed topology

- Governs how multi-channel `outwhile` and `inwhile` are connected
- Well-formed iff topology constructed as **uni-directed acyclic graph**
- All examples in paper conforms to well-formed topology:
 - n -Body simulation: ring topology
 - Jacobi solution of the discrete Poission equation: mesh topology
 - Linear equation solver: wraparound mesh topology

Well-formed topology

Theorem (Subject reduction)

Multi-channel outwhile and inwhile will not reduce to error

Theorem (Type and communication safety)

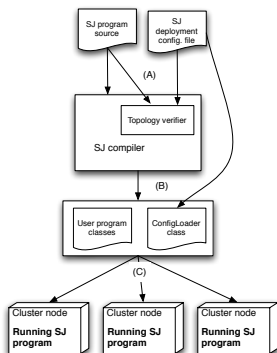
A typable process which forms a well-formed topology is type and communication safe.

Theorem (Deadlock freedom)

If P forms a well-formed topology and P is well-typed, then P is deadlock free.

Multi-channel session types and SJ programming

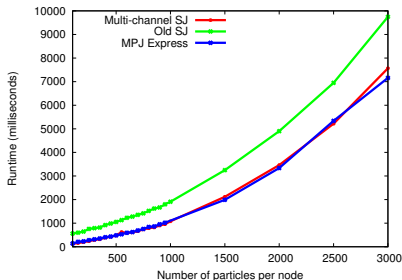
Workflow of a SJ program:



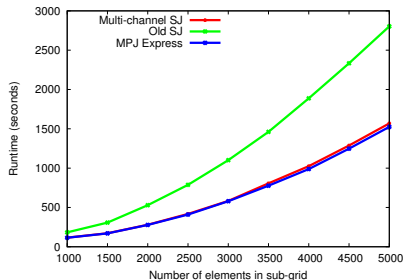
- 1 Declare session type (called **protocol**) in source code
- 2 Local session type conformance by SJ compiler
- 3 **Well-formed topology verification on deployment config file**
- 4 **Program instantiated with verified config file**
- 5 Duality check between communicating programs at runtime

Benchmark results

n-Body simulation (Ring)



Jacobi solution (Mesh)



- Significant improvement over non multi-channel version
- Performs competitively against MPJ Express (MPI in Java)

Conclusions

- Multi-channel primitives increased the expressiveness of Session Java
- *multi-channel session type theory* and *well-formed topology* guarantees *communication safety* and *deadlock freedom*
- Benchmark result shows competitive performance against industry standard
- Parallel programming in multi-channel SJ is both **safe** and **efficient**

Future work

- Session-based low level, natively compiled language (eg. C) for low overhead HPC and systems programming
- Incorporate `outwhile` and `inwhile` primitives into *multiparty session types*

Full version:

http://www.doc.ic.ac.uk/~cn06/pub/2011/sj_parallel/

Syntax

(Values)

$v ::= a, b, x, y$ shared names
 $|$ true, false boolean
 $|$ n integer

(Expressions)

$e ::= v \mid e + e \mid \text{not}(e) \dots$ value, sum, not
 $|$ $\langle k_1 \dots k_n \rangle.\text{inwhile}$ inwhile

(Processes)

$P ::= 0$ inaction
 $|$ T prefixed
 $|$ $P ; Q$ sequence
 $|$ $P \mid Q$ parallel
 $|$ $(\nu u) P$ hiding

(Declaration)

$D ::= X(xk) = P$

(Prefixed processes)

$T ::= \text{request } a(k) \text{ in } P$ request
 $|$ $\text{accept } a(k) \text{ in } P$ accept
 $|$ $k![\bar{e}]$ sending
 $|$ $k?(x)$ reception
 $|$ $\text{throw } k[k']$ sending
 $|$ $\text{catch } k(k') \text{ in } P$ reception
 $|$ $X[\bar{e}k]$ variables
 $|$ $\text{def } D \text{ in } P$ recursion
 $|$ $k \triangleleft l$ selection
 $|$ $k \triangleright \{l_1 : P_1 \parallel \dots \parallel l_n : P_n\}$ branch
 $|$ $\text{if } e \text{ then } P \text{ else } Q$ conditional
 $|$ $\langle k_1 \dots k_n \rangle.\text{inwhile}\{ Q \}$ inwhile
 $|$ $\langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \}$ outwhile
 $|$ $k \dagger [b]$ message

Operational Semantics

$\text{accept } a(k) \text{ in } P_1 \mid \text{request } a(k) \text{ in } P_2 \rightarrow (\nu k)(P_1 \mid P_2)$	$k![c] \mid k?(x) \text{ in } P_2 \rightarrow P_2[c/x]$	[LINK] [COM]
$k \triangleright \{l_1 : P_1 \parallel \dots \parallel l_n : P_n\} \mid k \triangleleft l_i \rightarrow P_i \quad (1 \leq i \leq n)$	$\text{throw } k[k'] \mid \text{catch } k(k') \text{ in } P_2 \rightarrow P_2$	[LBL] [PASS]
$\text{if } \text{true} \text{ then } P \text{ else } Q \rightarrow P$	$\text{if } \text{false} \text{ then } P \text{ else } Q \rightarrow Q$	[IF]
$\text{def } X(xk) = P \text{ in } X[ck] \rightarrow$	$\text{def } X(xk) = P \text{ in } P\{c/x\} \rightarrow$	[DEF]
$\langle k_1 \dots k_n \rangle.\text{inwhile}\{ P \} \mid \prod_{i \in \{1..n\}} k_i \uparrow [\text{true}] \rightarrow$	$P; \langle k_1 \dots k_n \rangle.\text{inwhile}\{ P \} \rightarrow$	[IW1]
$\langle k_1 \dots k_n \rangle.\text{inwhile}\{ P \} \mid \prod_{i \in \{1..n\}} k_i \uparrow [\text{false}] \rightarrow$	$\mathbf{0} \rightarrow$	[IW2]
$E[\langle k_1 \dots k_n \rangle.\text{inwhile} \mid \prod_{i \in \{1..n\}} k_i \uparrow [\text{true}]] \rightarrow$	$E[\text{true}] \rightarrow$	[IWE1]
$E[\langle k_1 \dots k_n \rangle.\text{inwhile} \mid \prod_{i \in \{1..n\}} k_i \uparrow [\text{false}]] \rightarrow$	$E[\text{false}] \rightarrow$	[IWE2]
$E[e] \rightarrow^* E'[\text{true}] \Rightarrow$	$E'[\langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \}] \rightarrow$	[OW1]
$E[\langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \}] \rightarrow$	$E'[\langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \}] \mid \prod_{i \in \{1..n\}} k_i \uparrow [\text{true}] \rightarrow$	[OW1]
$E[e] \rightarrow^* E'[\text{false}] \Rightarrow$	$E'[\mathbf{0} \mid \prod_{i \in \{1..n\}} k_i \uparrow [\text{false}]] \rightarrow$	[OW2]
$E[\langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \}] \rightarrow$	$E'[\mathbf{0} \mid \prod_{i \in \{1..n\}} k_i \uparrow [\text{false}]] \rightarrow$	[OW2]
$P \equiv P' \text{ and } P' \rightarrow Q' \text{ and } Q' \equiv Q \Rightarrow$	$P \rightarrow Q \Rightarrow$	[STR]
$e \rightarrow e' \Rightarrow E[e] \rightarrow E[e'] \Rightarrow$	$P \rightarrow P' \Rightarrow E[P] \rightarrow E[P'] \Rightarrow$	
$P \mid Q \rightarrow P' \mid Q' \Rightarrow$	$E[P] \mid Q \rightarrow E[P'] \mid Q' \Rightarrow$	[EVAL]
In [OW1] and [OW2], we assume $E = E' \mid \prod_{i \in \{1..n\}} k_i \uparrow [b_i]$		



Type system

Outwhile

$$\frac{\Gamma; \Delta \vdash e \triangleright \text{bool} \quad \Gamma \vdash P \triangleright \Delta \cdot k_1 : \tau_1.\text{end} \dots k_n : \tau_n.\text{end}}{\Gamma \vdash \langle k_1 \dots k_n \rangle.\text{outwhile}(e)\{ P \} \triangleright \Delta \cdot k_1 : ![\tau_1]^*.\text{end} \dots k_n : ![\tau_n]^*.\text{end}}$$

Inwhile

$$\frac{\Gamma; \Delta \vdash Q \triangleright \Delta \cdot k_1 : \tau_1.\text{end} \dots k_n : \tau_n.\text{end}}{\Gamma \vdash \langle k_1 \dots k_n \rangle.\text{inwhile}\{ Q \} \triangleright \Delta \cdot k_1 : ?[\tau_1]^*.\text{end} \dots k_n : ?[\tau_n]^*.\text{end}}$$